

Quarter 1

Geometry

|  | Mather  | matics  |   |
|--|---|---|---|
| Q1   | Geometry: Year<br><sub>Q2</sub> 2018  | - 2019 <sub>Q3</sub>  | Q4  |
| Aug. 6 – Oct. 5  | Oct. 16 - Dec. 19   | Jan. 7 – Mar. 8   | Mar. 18 – May 24<br>TN Ready Testing<br>Apr. 22 - May23   |
| Tools of Geometry, Reasoning and<br>Proof, Transformations and<br>Congruence, Transformations and<br>Symmetry,<br>Lines and Angles | Triangle Congruence with Applications,<br>Properties of Triangles, Special<br>Segments in Triangles, Properties of<br>Quadrilaterals with Coordinate Proofs | Similarity and Transformations, Using<br>Similar Triangles, Trigonometry with<br>Right Triangles, Trigonometry with All<br>Triangles, Properties of Angles and<br>Segments in Circles | Properties of Circles, Arc Length,<br>Sector Area, and Equations of Circles,<br>Measurement and Modeling in Two and<br>Three Dimensions, Volume Formulas,<br>Visualizing Solids, Trigonometry with<br>All Triangles |
| G.CO.A.1   | G.CO.B.7  | G.CO.A.1  | G.CO.D.12   |
| G.CO.A.2   | G.CO.B.8  | G. SRT.A.1  | G.C.A.2   |
| G.CO.A.3   | G.CO.C.10   | G. SRT.A.2  | G.C.A.3   |
| G.CO.A.4   | G.CO.C.11   | G. SRT.A.3  | G.C.B.4   |
| G.CO.A.5   | G.CO.D.12   | G. SRT.B.4  | G. GPE.A.1  |
| G.CO.B.6   | G. SRT.B.4  | G. SRT.B.5  | G. GPE.B.2  |
| G.CO.B.7   | G. SRT.B.5  | G. SRT.C.6  | G. GPE.B.3  |
| G.CO.C.9   | G. GPE.B.2  | G. SRT.C.7  | G. GPE.B.4  |
| G.CO.D.12  | G. GPE.B.5  | G. SRT.C.8  | G.MG.A.1  |
| G. GPE.B.2   | G.MG.A.1  | G. MG.A.2   | G. MG.A.2   |
| G. GPE.B.3   | G.MG.A.2  | G. GMD.A.1  | G. GMD.A.1  |
|  |   | G.C.A.1   | G. GMD.A.2  |
|  |   | G.C.A.2   |   |
|  | Major Content   | Supporting Co   | ontent  |

\* (asterisk) Indicates a standard with differences between the TN State Standards' numbering and/or verbiage and the standards in Eureka

Note: Please use this suggested pacing as a guide. It is understood that teachers may be up to 1 week ahead or 1 week behind depending on the needs of their students.



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#### Introduction

Destination 2025, Shelby County Schools' 10-year strategic plan, is designed not only to improve the quality of public education, but also to create a more knowledgeable, productive workforce and ultimately benefit our entire community.

#### What will success look like?



In order to achieve these ambitious goals, we must collectively work to provide our students with high quality, college and career ready aligned instruction. The Tennessee State Standards provide a common set of expectations for what students will know and be able to do at the end of a grade. The State of Tennessee provides two sets of standards, which include the Standards for Mathematical Content and The Standards for Mathematical Practice. The Content Standards set high expectations for all students to ensure that Tennessee graduates are prepared to meet the rigorous demands of mathematical understanding for college and career. The eight Standards for Mathematical Practice describe the varieties of expertise, habits of mind, and productive dispositions that educators seek to develop in all students. The Tennessee State Standards also represent three fundamental shifts in mathematics instruction: focus, coherence and rigor.





The **Standards for Mathematical Practice** describe varieties of expertise, habits of minds and productive dispositions that mathematics educators at all levels should seek to develop in their students. These practices rest on important National Council of Teachers of Mathematics (NCTM) "processes and proficiencies" with longstanding importance in mathematics education. Throughout the year, students should continue to develop proficiency with the eight Standards for Mathematical Practice. The following are the eight Standards for Mathematical Practice:

- 1. Make sense of problems and persevere in solving them.
- 2. Reason abstractly and quantitatively.
- 3. Construct viable arguments and critique the reasoning of them.
- 4. Model with mathematics.
- 5. Use appropriate tools strategically.
- 6. Attend to precision.
- 7. Look for and make use of structure.
- 8. Look for and express regularity in repeated reasoning.

This curriculum map is designed to help teachers make effective decisions about what mathematical content to teach so that ultimately our students can reach Destination 2025. Throughout this curriculum map, you will see resources as well as links to tasks that will support you in ensuring that students are able to reach the demands of the standards in your classroom. In addition to the resources embedded in the map, there are some high-leverage resources around the content standards and mathematical practice standards that teachers should consistently access. For a full description of each, click on the links below.





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### **Structure of the Standards**

Structure of the TN State Standards include:

• **Content Standards** - Statements of what a student should know, understand, and be able to do.

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- **Clusters** Groups of related standards. Cluster headings may be considered as the big idea(s) that the group of standards they represent are addressing. They are therefore useful as a quick summary of the progression of ideas that the standards in a domain are covering and can help teachers to determine the focus of the standards they are teaching.
- **Domains** A large category of mathematics that the clusters and their respective content standards delineate and address. For example, Number and Operations Fractions is a domain under which there are a number of clusters (the big ideas that will be addressed) along with their respective content standards, which give the specifics of what the student should know, understand, and be able to do when working with fractions.
- **Conceptual Categories** The content standards, clusters, and domains in the 9th-12th grades are further organized under conceptual categories. These are very broad categories of mathematical thought and lend themselves to the organization of high school course work. For example, Algebra is a conceptual category in the high school standards under which are domains such as Seeing Structure in Expressions, Creating Equations, Arithmetic with Polynomials and Rational Expressions, etc.



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### How to Use the Maps

#### Overview

An overview is provided for each quarter and includes the topics, focus standards, intended rigor of the standards and foundational skills needed for success of those standards.

Your curriculum map contains four columns that each highlight specific instructional components. Use the details below as a guide for information included in each column.

#### **Tennessee State Standards**

TN State Standards are located in the left column. Each content standard is identified as Major Content or Supporting Content. A key can be found at the bottom of the map.

#### Content

This section contains learning objectives based upon the TN State Standards. Best practices tell us that clearly communicating measurable objectives lead to greater student understanding. Additionally, essential questions are provided to guide student exploration and inquiry.

#### **Instructional Support**

District and web-based resources have been provided in the Instructional Support column. You will find a variety of instructional resources that align with the content standards. The additional resources provided should be used as needed for content support and scaffolding.

#### **Vocabulary and Fluency**

The inclusion of vocabulary serves as a resource for teacher planning and for building a common language across K-12 mathematics. One of the goals for Tennessee State Standards is to create a common language, and the expectation is that teachers will embed this language throughout their daily lessons. In order to aid your planning, we have also included a list of fluency activities for each lesson. It is expected that fluency practice will be a part of your daily instruction. (Note: Fluency practice is not intended to be speed drills, but rather an intentional sequence to support student automaticity. Conceptual understanding must underpin the work of fluency.

#### Instructional Calendar

As a support to teachers and leaders, an instructional calendar is provided **as a guide**. Teachers should use this calendar for effective planning and pacing, and leaders should use this calendar to provide *support* for teachers. Due to variances in class schedules and differentiated support that may be needed for students' adjustment to the calendar may be required.



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### **Topics Addressed in Quarter**

- Tools of Geometry
- Reasoning & Proof
- Transformations, Congruence & Similarity

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• Lines & Angles

#### Overview

Rotations, reflections, translations and congruency are developed experimentally in grade 8, and this experience is built upon in geometry, giving greater attention to precise definitions and formal reasoning. Properties of lines and angles, triangles and parallelograms were investigated in Grades 7 and 8. In geometry, these properties are revisited in a more formal setting, giving greater attention to precise statements of theorems and establishing these theorems by means of formal reasoning. During quarter one students will develop the relationship between transformations and congruency. Students will study Congruence (G-CO), namely experimenting with transformations in the plane, understanding congruence in terms of rigid motions, proving geometric theorems, prove geometric theorems, and make geometric constructions with a variety of tools. Students will also use congruence and similarity criteria for triangles to solve problems and to prove relationships (G-SRT). Additionally, in this quarter, students will use coordinates to prove simple geometric theorems algebraically (G-GPE).

| oundational Standards |
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| TN STATE STANDARDS   | CONTENT  | INSTRUCTIONAL SUP   | PORT & RESOURCES   |
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|  | To<br>(Allow approximately   | ols of Geometry<br>2.5 weeks for instruction, review, and<br>assessment)  |  |
| <b>Domain</b> : Congruence (G.CO)<br><b>Cluster</b> : Experiment with transformations<br>in the plane  | Essential Question(s)<br>In what ways can congruence be useful?  | <b>Textbook Lessons</b><br>Lesson 1.1 Points, Lines and Planes, pp. 5 –<br>13   | <b>Vocabulary</b><br>Undefined term, point, line, plane,<br>collinear, coplanar, intersection,   |
| G.CO.A.1 Know precise definitions<br>of angle, circle, perpendicular line,<br>parallel line, and line segment, based<br>on the undefined notions of point,<br>line, distance along a line, and<br>distance around a circular arc. Domain: Congruence   | <ul> <li>Objective(s):</li> <li>Students will explore and know precise definitions of basic geometric terms.</li> <li>Students will identify the undefined notions used in geometry (point, line, plane, distance).</li> <li>Students will use tools and methods to precisely experience.</li> </ul>             | Optional: Use the following resources to<br>ensure that the intended outcome and<br>level of rigor of the standards are met.<br>Task(s)<br>Illustrative Mathematics Defining Parallel and<br>Perpendicular Lines Task | definition, defined term, space<br>Include Vocabulary from 3.1 - parallel<br>lines, skew lines, parallel planes<br><b>Writing in Math</b><br>Connect the words <i>collinear</i> and<br><i>coplanar</i> to the prefix <i>co</i>                       |
| <ul> <li>Cluster: Make geometric constructions</li> <li>G.CO.D.12 Make formal geometric constructions with a variety of tools and methods (compass and straightedge, string, reflective devices, paper folding, dynamic geometric software, etc.).</li> </ul>  | <ul> <li>to precisely copy a segment, copy an angle, bisect a segment, and bisect an angle.</li> <li>Students will informally perform the constructions listed above using string, reflective devices, paper folding, and/or dynamic geometric software.</li> </ul>  | Additional Resource(s)<br><u>HS Flip Book with examples of each</u><br><u>Standard</u><br><u>Points, Lines, and Planes</u><br>(Interactive Notebook/Foldables)  | Is it possible for two points on the surface of<br>a prism to be neither collinear nor coplanar?<br>Justify your answer.   |
| <b>Domain</b> : Congruence<br><b>Cluster</b> : Experiment with transformations<br>in the plane   | Essential Question(s)<br>Why are geometry and measurement<br>important in the real world?  | <b>Textbook Lessons</b><br>Lesson 1.2 – Linear Measure and Precision,<br>pp. 14 – 24  | Vocabulary<br>Line segment, betweeness of points,<br>between, congruent segments, construction   |
| <ul> <li>G.CO.A.1 Know precise definitions<br/>of angle, circle, perpendicular line,<br/>parallel line, and line segment, based<br/>on the undefined notions of point,<br/>line, distance along a line, and<br/>distance around a circular arc.</li> <li>Domain: Congruence (G.CO)<br/>Cluster: Make geometric constructions</li> <li>G.CO.D.12 Make formal geometric<br/>constructions with a variety of tools</li> </ul> | <ul> <li>Objective(s):</li> <li>Students will use a compass and straightedge to draw a segment and use a ruler to measure it.</li> <li>Students will identify the tools used in formal constructions.</li> <li>Students will use tools and methods to precisely copy a segment, copy an angle, bisect</li> </ul> | FF  | <ul> <li>Discussion</li> <li>Discuss the Ruler Postulate.</li> <li>Writing in Math</li> <li>Why is it important to have a standard of measure? Refer to p. 14, and include an advantage and disadvantage to the builders of the pyramids.</li> </ul> |



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| and methods (compass and<br>straightedge, string, reflective<br>devices, paper folding, dynamic<br>geometric software, etc.).   | a segment, and bisect an angle.  |   |   |
| Domain: Congruence (G.CO)   | Essential Question(s)  | Textbook Lessons  | Vocabulary  |
| <b>Cluster</b> : Experiment with transformations in the plane.  | Why are the Distance and Midpoint Formulas important in the real world?  | Lesson 1.3 – Distance and Midpoint, pp. 25 – 35   | Distance, irrational number, midpoint, segment bisector   |
| G.CO.A.1 Know precise definitions<br>of angle, circle, perpendicular line,<br>parallel line, and line segment, based<br>on the undefined notions of point,<br>line, distance along a line, and<br>distance around a circular arc. | <ul> <li>Objective(s):</li> <li>Students will connect two points on a coordinate plane to form a segment and use the Distance Formula to find its length.</li> <li>Students will find the midpoint of a</li> </ul> | Optional: Use the following resources to<br>ensure that the intended outcome and<br>level of rigor of the standards are met.<br>Task(s)<br><u>TN Task Arc, Geometry - Investigating</u><br>Coordinate Geometry and Its Use in Solving | Writing in Math<br>Compare the Distance and Midpoint<br>Formulas. Draw an example of each on a<br>grid. |
| <b>Domain</b> : Congruence (G.CO)<br><b>Cluster</b> : Make geometric constructions.   | segment and in the coordinate plane.   | Mathematical Problems<br>Task 1- My Point is That There Are   |   |
| G.CO.D.12 Make formal geometric<br>constructions with a variety of tools<br>and methods (compass and<br>straightedge, string, reflective<br>devices, paper folding, dynamic<br>geometric software, etc.).                         |  | Many Points!<br>Task 2 - The Distance Between Us<br>Task 3 - Will That Work for ANY Two<br>Points?  |   |
| <b>Domain</b> : Expressing Geometric Properties with Equations (G.GPE)  |  |   |   |
| <b>Cluster:</b> Use coordinates to prove simple geometric theorems algebraically.   |  |   |   |
| ■ G. GPE.B.2 Use coordinates to prove simple geometric theorems algebraically.  |  |   |   |
| Domain: Congruence (G.CO)   | Essential Question(s):   | Textbook Lessons  | Vocabulary  |
| <b>Cluster</b> : Experiment with transformations in the plane.  | How are number operations used to find and compare the measures of angles.   | Lesson 1.4 – Angle Measure, pp. 36 – 45   | Ray, angle, vertex, degree, right angle, acute angle, obtuse angle                                      |
| G.CO.A.1 Know precise definitions<br>of angle, circle, perpendicular line,<br>parallel line, and line segment, based<br>on the undefined notions of point,<br>line, distance along a line, and<br>distance around a circular arc. | <ul> <li>Objective(s):</li> <li>Students will describe the characteristics, and identify angles, circles, perpendicular lines, parallel lines,</li> </ul>  | Optional: Use the following<br>resources to ensure that the<br>intended outcome and level of<br>rigor of the standards are met.   | Writing in Math<br>Explain the prefix <i>bi</i> - when discussing<br>segment bisector.                  |



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| <ul> <li>Domain: Congruence</li> <li>Cluster: Make geometric constructions.</li> <li>G.CO.D.12 Make formal geometric constructions with a variety of tools and methods (compass and straightedge, string, reflective devices, paper folding, dynamic geometric software, etc.).</li> </ul> | <ul> <li>rays, and line segments.</li> <li>Students will use tools and<br/>methods to precisely copy a<br/>segment, copy an angle, bisect a<br/>segment, and bisect an angle.</li> </ul> | Task(s)         Select appropriate tasks from GSE         Analytic Geometry Unit 1:         Similarity, Congruence and Proofs         Illustrative Mathematics Angle         Bisection and Midpoints of Line         Segment Task | Connect the word <i>degree</i> to the idea of measurement.<br>Discuss the similarity between the <i>Protractor Postulate</i> and the <i>Ruler Postulate</i> . |
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| <b>Domain</b> : Congruence (G.CO)<br><b>Cluster</b> : Experiment with transformations  | Essential Question(s)<br>What are some real-life applications of   | an Angle Task<br>Textbook Lessons<br>Lesson 1.5 – Angle Relationships, pp. 46 –   | <b>Vocabulary</b><br>Adjacent angles, linear pair, vertical angles,   |
| <ul> <li>G.CO.A.1 Know precise definitions<br/>of angle, circle, perpendicular line,<br/>parallel line, and line segment, based<br/>on the undefined notions of point,<br/>line, distance along a line, and</li> </ul>   | Objective(s):     Students will identify and use special pairs of angles.  | 55<br>Optional: Use the following resources<br>to ensure that the intended outcome<br>and level of rigor of the standards are<br>met.   | complementary angles, supplementary<br>angles, perpendicular<br><b>Writing in Math</b><br>Discuss the similarity between the                                  |
| distance around a circular arc.<br>Domain: Congruence (G.CO)<br>Cluster: Make geometric constructions.   | Students will identify perpendicular lines.  | Task(s)         Select appropriate tasks from <u>GSE Analytic</u> Geometry Unit 1: Similarity, Congruence and         Proofs  | Describe three different ways you can determine that an angle is a right angle.   |
| G.CO.D.12 Make formal geometric<br>constructions with a variety of tools<br>and methods (compass and<br>straightedge, string, reflective<br>devices, paper folding, dynamic<br>geometric software, etc.).  |  |   | See the Teacher version of the Engage <sup>ny</sup><br>lesson which has a thorough graphic<br>organizer of previously learned angle facts.                    |
| Domain: Congruence (G.CO)  | Essential Question(s)  | Textbook Lessons  |   |
| Cluster: Experiment with transformations   | Why are geometry and measurement   | Definitions of parallel lines, skew lines, and  |   |
|  | important in the real world?   | parallel lines from Lesson 3-1 Parallel Lines<br>and Transversals, pp. 171 (definitions only)   |   |
| of angle, circle, perpendicular line,  | Objective(s):  |   |   |



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| parallel line, and line segment, based     | <ul> <li>Students will use a compass and</li> </ul> | Constructing a Copy of a Line            |  |
| on the undefined notions of point,         | straightedge to draw a segment and                  | Segment p.17                             |  |
| line, distance along a line, and           | use a ruler to measure it.                          |  |  |
| distance around a circular arc.            | Students will identify                              | Constructing a Conv of an Angle          |  |
|  | the tools used in formal                            | n 39                                     |  |
| <b>Domain</b> : Congruence (G.CO)          | constructions                                       | p. 00                                    |  |
| Cluster: Make geometric constructions      | Otudanta will use table and mothe de te             |  |  |
| · · · · · · · · · · · · · · · · · · ·      | Students will use tools and methods to              | Constructing an Angle Bisector p.        |  |
| G.CO.D.12 Make formal geometric            | bisect a segment, and bisect an angle               | 40                                       |  |
| constructions with a variety of tools      | Disect a segment, and disect an angle.              |  |  |
| and methods (compass and                   |   | Eureka Math Lessons                      |  |
| straightedge, string, reflective           |   | Fureka Math Geometry Module 1 Topic A    |  |
| devices, paper folding, dynamic            |   | Lessons 1 & 2 – Construct an Equilateral |  |
| geometric sonware, etc.).                  |   | Triangle                                 |  |
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|  |   | Optional: Use the following resources to |  |
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|  |   | level of rigor of the standards are met. |  |
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|  |   | Eureka Math                              |  |
|  |   | Eureka Math Geometry Module 1, Topic A,  |  |
|  |   | Lesson 3 – Copy and Bisect an Angle      |  |
|  |   |  |  |
|  |   | Fureka Math Geometry Module 1, Topic B.  |  |
|  |   | Lesson 6 – Solve for Unknown Angles –    |  |
|  |   | Angles and Lines at a Point              |  |
|  | Rea   | soning and Proof                         |  |
|  | (Allow approximately 1.5 weeks for                  | instruction, review, and assessment)     |  |
| Domain: Congruence (G.CO)                  | Essential Question(s)                               | Textbook Lesson                          | Vocabulary                                       |
| Cluster: Prove geometric theorems.         | How do you use inductive reasoning to make          | Lesson 2.1 – Inductive Reasoning         | Inductive reasoning, conjecture,                 |
| <b>G.CO.C.9</b> Prove theorems about lines | a conjecture?                                       | and Conjecture, pp. 89 – 96              | counterexample                                   |
| and angles.                                |   | •  |  |
|  | Objective(c):                                       | Additional Pesource(c)                   | Writing in Math                                  |
|  | Objective(s).                                       |  |  |
|  | <ul> <li>Students will make conjectures</li> </ul>  | HS Flip Book with examples of each       | Consider the conjecture: If two points are       |
|  | based on inductive reasoning.                       | Standard                                 | equidistant from a third point, then the three   |
|  | Students will find counterexamples.                 |  | points are collinear. Is this conjecture true or |
|  |   |  | raise e il faise, give a counterexample.         |
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| <ul> <li>Domain: Congruence (G.CO)</li> <li>Cluster: Prove geometric theorems.</li> <li>G.CO.C.9 Prove theorems about lines and angles.</li> </ul> | <ul> <li>Essential Question(s)<br/>How can theorems help prove figures<br/>congruent?</li> <li>Objective(s): <ul> <li>Students will analyze statements in if-<br/>then form.</li> <li>Students will write<br/>converses, inverses, and<br/>contrapositives.</li> <li>Students will write biconditional<br/>statements.</li> </ul> </li> </ul> | Textbook Lessons<br>Lesson 2.3 – Conditional Statements, pp.<br>105 – 113<br>Optional: Use the following resources to<br>ensure that the intended outcome and<br>level of rigor of the standards are met.<br>Lesson 2.3 Extension – Geometry<br>Lab: Biconditional Statements p.<br>114 | Vocabulary<br>Conditional statement, if-then statement,<br>hypothesis, conclusion, related<br>conditionals, converse, inverse,<br>contrapositive, logically equivalent<br>Writing in Math<br>Describe a relationship between a<br>conditional, its converse, its inverse, and its<br>contrapositive. |
| Domain: Congruence (G.CO)  | Essential Question(s)   | Textbook Lesson   | Vocabulary   |
| Cluster: Prove geometric theorems  | Low are the properties used in geometry   | Lesson 2.5 Destulates and   | Postulate oviem proof theorem  |
| <ul> <li>G.CO.C.9 Prove theorems about lines<br/>and angles.</li> </ul>  | helpful in solving problems?  | Paragraph Proofs, pp. 125-132   | deductive reasoning, paragraph proof,<br>informal proof  |
|  | <ul> <li>Objective(s):</li> <li>Students will identify and use the properties of congruence and equality in proofs.</li> <li>Students will interpret geometric diagrams by identifying what can and cannot be assumed.</li> </ul>   |   | Writing in Math<br>Explain how undefined terms, definitions,<br>postulates, and theorems are alike and how<br>are they different.  |
| Domain: Congruence (G.CO)  | Essential Question(s)   | Textbook Lesson   | Vocabularv   |
| Cluster: Prove geometric theorems.<br>G.CO.C.9 Prove theorems about lines<br>and apples  | How can information, definitions, postulate, properties and theorems helpful in writing proofs?   | Lesson 2.6 – Algebraic Proof, pp. 134-141   | Algebraic proof, two-column proof, formal proof  |
|  | <ul> <li>Objective(s):</li> <li>Students will use algebra to write two – column proofs.</li> <li>Students will use properties of equality to write geometric proofs.</li> </ul>   |   | Writing in Math<br>Compare and contrast informal or paragraph<br>proofs with formal or two-column proofs.<br>Which type of proof do you find easier to<br>write? Justify your answer.  |



| Transformations and Congruence;<br>Transformations and Symmetry<br>(Allow approximately 3 weeks for instruction, review, and assessment)   |   |   |  |
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| <ul> <li>Domain: Congruence (G.CO)</li> <li>Cluster: Experiment with transformations in the plane.</li> <li>G.CO.A.4_Develop definitions of rotations, reflections, and translations in terms of angles, circles, perpendicular lines, parallel lines, and line segments.</li> </ul> | Essential Question(s)<br>How can you represent a transformation in<br>the coordinate plane? Objective(s): <ul> <li>Students will construct the reflection<br/>definition by connecting any point on<br/>the pre-image to is corresponding<br/>parts on the reflected image and<br/>describe the line segment's<br/>relationship to the line of reflection<br/>(i.e., the line of reflection is the<br/>perpendicular bisector of the<br/>segment).</li> </ul> | Textbook LessonLessons 9.1 – Reflections, pp. 615 – 623Optional: Use the following resources to<br>ensure that the intended outcome and<br>level of rigor of the standards are met.Eureka Math the intended outcome and<br>level of rigor of the standards are met.Eureka Math Geometry Module 1, Topic<br>C, Lesson 14 – ReflectionsTask(s)NT Task Arc, Geometry -Investigating<br>Congruence in Terms of Rigid Motion<br>Task 3 – Reflect on ThisUse patty paper to differentiate for<br>struggling learners.)Illustrative Mathematics Defining Reflections<br>Task | Vocabulary<br>Line of reflection<br>Writing in Math<br>Describe how to reflect a coordinate<br>figure not on a plane across a line.                    |
| <b>Domain</b> : Congruence (G.CO)<br><b>Cluster</b> : Experiment with transformations in<br>the plane.   | Essential Question(s)<br>How can you represent a transformation in<br>the coordinate plane?   | <b>Textbook Lesson</b><br>Lesson 9.2 –Translations, pp. 624 – 631   | Vocabulary<br>Translation vector   |
| G.CO.A.4_Develop definitions of<br>rotations, reflections, and translations in<br>terms of angles, circles, perpendicular<br>lines, parallel lines, and line segments.   | <ul> <li>Objective(s):</li> <li>Students will construct the translation definition by connecting any point on the pre-image to its corresponding point on the translated image, and</li> </ul>  | Optional: Use the following<br>resources to ensure that the<br>intended outcome and level of<br>rigor of the standards are met.<br>Eureka Math<br>Eureka Math Geometry Module 1. Topic  | Writing in Math<br>Compare and contrast a translation<br>and a reflection.<br>Describe what a vector is and how it is<br>used to define a translation. |



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|  | the pre-image to its<br>corresponding point on the<br>translated image, and describe<br>how the two segments are equal<br>in length, point in the same<br>direction, and are parallel. | C, Lesson 16 – Translations<br>Task(s)<br>Select appropriate tasks from <u>GSE</u><br><u>Analytic Geometry Unit 1:</u><br><u>Similarity, Congruence and Proofs</u><br><u>Illustrative Mathematics Identifying</u><br><u>Translations Task</u> | Describe any similarities between the<br>meaning of <i>translation</i> as it us used in<br>geometry and the word's meaning when<br>used to describe the process of<br>converting words from one language to<br>another. |
|--|--|---|---|
| Domain: Congruence (G.CO)                                      | Essential Question(s)  | Textbook Lessons  | Vocabulary  |
| <b>Cluster</b> : Experiment with transformations in the plane. | How can you represent a transformation in the coordinate plane?  | Lesson 9.3 – Rotations, pp. 632 – 638   | Center of rotation, angle of rotation   |
| G.CO.A.4_Develop definitions of                                |  | Lesson 9.3 Explore – Geometry   | Writing in Math   |
| rotations, reflections, and translations in                    | Objective(s):  | Lab: Rotations p. 631   | Use a graphic organizer to keep track of the  |
| terms of angles, circles, perpendicular                        | Students will construct rotation   |   | types of transformations and their properties   |
| lines, parallel lines, and line segments.                      | definition by connecting the center of   | Eureka Math   | in a sequence of transformations.   |
|  | rotation to any point on the pre-image   | Eureka Math Geometry Module 1, Topic  |   |
|  | rotated image, and describe the  | C, Lesson 13 – Rotations  |   |
|  | measure of the angle formed and the  |   |   |
|  | equal measures of the segments that  | Optional: Use the following resources to  |   |
|  | formed the angles part of the  | ensure that the intended outcome and  |   |
|  | deminition.  | Teek(e)   |   |
|  |  | Task(s)   |   |
|  |  | Congruence in Terms of Rigid Motion   |   |
|  |  | Task 2: Twisting Triangles  |   |
|  |  | (Use patty paper to differentiate for   |   |
|  |  | struggling learners.)   |   |
|  |  |   |   |
|  |  | Select appropriate tasks from GSE   |   |
|  |  | Analytic Geometry Unit 1:   |   |
|  |  | Similarity, Congruence and Proors   |   |
|  |  | Illustrative Mathematics Defining   |   |
|  |  | Rotations Task  |   |
|  |  |   |   |
|  |  | Illustrative Mathematics Identifying Rotations  |   |



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|   |   | Task   |  |
|---|---|--|--|
| <ul> <li>Domain: Congruence (G.CO)</li> <li>Cluster: Experiment with transformations in the plane</li> <li>➤ G.CO.A.5 Given a geometric figure and a rigid motion, draw the image of the figure in multiple ways, including technology. Specify a sequence of rigid motions that will carry a given figure onto another.</li> </ul> | <ul> <li>Essential Question(s)</li> <li>How can you represent a transformation in the coordinate plane?</li> <li>Objective(s):</li> <li>Students will draw a specific transformation given a geometric figure and a rotation.</li> <li>Students will predict and verify the sequence of transformations (a composition) that will map a figure onto another.</li> </ul> | Textbook Lesson         Lesson 9.4 – Compositions of         Transformations, pp. 641 – 649         Optional: Use the following resources to         ensure that the intended outcome and         level of rigor of the standards are met.         Lesson 9.4 Explore – Geometry Software         Lab: Compositions of Transformations, p.         640         Eureka Math Geometry Module 1, Topic         C, Lesson 13 – Rotations | Vocabulary<br>Composition of transformations, glide<br>reflection<br>Writing in Math<br>Explain how the Latin word for <i>rigid</i><br>helps to understand <i>nonrigid</i><br><i>transformation</i> .<br>Compare and contrast the methods<br>learned for combining rigid transformations<br>and nonrigid transformations in the<br>coordinate plane. |
| <ul> <li>Domain: Congruence (G.CO)</li> <li>Cluster: Experiment with transformations in the plane</li> <li>➤ G.CO.A.3_Given a rectangle, parallelogram, trapezoid, or regular polygon, describe the rotations and reflections that carry it onto itself.</li> </ul>   | Essential Question(s)<br>How can you identify the type of symmetry<br>that a figure has?<br>Objective(s):<br>Students will identify line and rotational<br>symmetries in two-dimensional figures.   | Textbook Lesson         Lesson 9.5 – Symmetry, pp. 653 -         659         Optional: Use the following resources to ensure that the intended outcome and level of rigor of the standards are met.         Eureka Math         Eureka Math         Eureka Math Geometry Module 1, Topic         C, Lesson 15 – Rotations, Reflections, and Symmetry   | Vocabulary<br>Symmetry, line symmetry, line of<br>symmetry, rotational symmetry, center of<br>symmetry, order of symmetry, magnitude<br>of symmetry, plane symmetry, axis<br>symmetry<br>Writing in Math<br>Connect the idea of a <i>reflection</i> to a figure<br>with <i>line symmetry</i> .   |
| <ul> <li>Domain: Congruence (G.CO)</li> <li>Cluster: Understand congruence in terms of rigid motion</li> <li>➤ ■ G.CO.B.6 Use geometric descriptions of rigid motions to transform figures and to predict the effect of a given rigid motion on a given</li> </ul>  | Essential Question(s)<br>How do you define congruence in terms of<br>rigid motion?<br>Objective(s):<br>• Students will predict the<br>composition of transformations  | Additional Lesson(s)<br>Extra lesson – Congruence Transformation<br><u>Rigid Motions and Congruence</u><br><u>Activity</u> (just the activity page)<br>Optional: Use the following resources to<br>ensure that the intended outcome and  | <b>Writing in Math</b><br>Define congruent. Relate the word to<br>the terms <i>equal</i> and <i>equivalent</i> .   |



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| figure; given two figures, use the<br>definition of congruence in terms of rigid<br>motions to determine informally if they<br>are congruent. | <ul> <li>that will map a figure onto a congruent figure.</li> <li>Students will determine if two figures are congruent by determining if rigid motions will turn one figure into the other.</li> </ul>  | Ievel of rigor of the standards are met.<br>Task(s)<br><u>TN Task Arc, Geometry -Investigating</u><br><u>Congruence in Terms of Rigid Motion</u><br>Task 4 -Looks Can Be Deceiving  |   |
|---|---|---|---|
|   | Lines, Angles and Triar   | ngles' Lines and Angles   |   |
| <b>P</b> (0.00)   | (Allow approximately 2 weeks for in   | istruction, review, and assessment)   |   |
| Domain: Congruence (G.CO)   | Essential Question(s)   | Textbook Lesson   | Vocabulary  |
| <ul> <li>Cluster: Prove geometric theorems</li> <li>G-CO.C.9 Prove theorems about lines and angles.</li> </ul>                                | <ul> <li>How can you identify relationships between two lines or two planes?</li> <li><b>Objective(s):</b> <ul> <li>Students will identify the relationships between two lines.</li> <li>Students will name angle pairs formed by parallel lines and transversals.</li> </ul> </li> </ul> | Lesson 3.1 – Parallel Lines and<br>Transversals, pp. 171 – 176<br>Optional: Use the following resources to<br>ensure that the intended outcome and<br>level of rigor of the standards are met.<br>Task(s)<br>Parallel Lines and Transversals<br>(Interactive Notebook/Foldables)<br>Select appropriate tasks from<br><u>GSE Analytic Geometry Unit 1:</u><br>Similarity, Congruence and<br>Proofs | Parallel lines, skew lines, parallel<br>planes, transversal, interior angles,<br>exterior angles, consecutive interior<br>angles, alternate interior angles,<br>alternate exterior angles,<br>corresponding angles<br><b>Writing in Math</b><br>Determine what the term <i>alternate</i><br>means and demonstrate its using a<br>series of figures. |
| Domain: Congruence (G.CO)   | Essential Question(s)   | Textbook Lesson   | Domain: Congruence (G.CO)   |
| <ul> <li>Cluster: Prove geometric theorems.</li> <li>G.CO.C.9 Prove theorems about lines and angles.</li> </ul>                               | How are the angles formed by two parallel lines cut by a transversal related?   | Lesson 3.2 – Angles and Parallel Lines, pp. 178 - 184   | <ul> <li>Cluster: Prove geometric theorems.</li> <li>G.CO.C.9 Prove theorems about lines and angles.</li> </ul>   |
|   | <ul> <li>Objective(s):</li> <li>Students will use theorems to determine the relationship [s between specific pairs of angels.</li> </ul>  | Optional: Use the following resources to ensure that the intended outcome and level of rigor of the standards are met.  |   |
|   | Students will use algebra to find angle   | Textbook Lesson   |   |
|   | measurements.   | Lesson 3.2 Explore – Geometry Software  |   |
|   |   | Lab: Angles and Parallel Lines p. 177   |   |
|   |   | Eureka Math   |   |



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|   |  | Eureka Math Geometry Module 1,<br>Topic B, Lesson 7 -Unknown<br>Angles-Transversals<br><b>Task(s)</b><br><u>Illustrative Mathematics Congruent Angles</u><br><u>Made by Parallel Lines and a Transverse</u><br><u>Task</u><br><u>TN Task Arc, Geometry- Proving Theorems</u><br>Task 3 -Alternate Interior<br>Angles |  |
|---|--|--|--|
| Domain: Expressing Geometric Properties         | Essential Question(s)                          | Textbook Lesson  | Vocabulary                             |
| with Equations (G.GPE)                          | How can algebra be useful when expressing      | Lesson 3.3 – Slopes of Lines, pp. 186 – 194  | Slope, rate of change                  |
| Cluster: Use coordinates to prove simple        | geometric properties?                          |  |  |
| geometric theorems algebraically.               |  | Optional: Use the following resources to   |  |
| <b>G. GPE.B.3</b> Prove the slope criteria for  | Objective(s):                                  | ensure that the intended outcome and   | Writing in Math                        |
| parallel and perpendicular lines and use        | Students will find slopes of lines and use the | level of rigor of the standards are met.   | A classmate says that all lines have   |
| them to solve geometric problems.               | perpendicular lines.                           |  | positive or negative slope. Write a    |
|   | •  | lask(s)  | question that would challenge her      |
|   |  | Illustration Mathematics Olans Oritorian for   | conjecture.                            |
|   |  | Illustrative Mathematics Slope Criterion for<br>Perpendicular Lines Task   |  |
|   |  |  |  |
| <b>Domain</b> : Expressing Geometric Properties | Essential Question(s)                          | Texthook Lessons   | Vocabulary                             |
| with Equations (G.GPE)                          | How can algebra be useful when expressing      | Lesson 3.4 – Equations of Lines, pp. 196 –   | Slope-intercent form, point-slope form |
| Cluster: Use coordinates to prove simple        | geometric properties?                          | 203  |  |
| geometric theorems algebraically.               |  | Lesson 3.4 Extension – Geometry Lab:   |  |
| G. GPE.B.3 Prove the slope criteria             | Objective(s):                                  | Equations of Perpendicular Bisectors p. 204  | Writing in Math                        |
| for parallel and perpendicular lines            | Students will write an                         |  | Create a graphic organizer that shows  |
| problems (e.g., find the equation of a          | equation of a line given                       |  | how some of the properties,            |
| line parallel or perpendicular to a             | Students will solve problems by                |  | postulates and theorems build upon     |
| given line that passes through a                | writing equations.                             |  | one another.                           |
| given point).                                   |  |  |  |
|   |  |  |  |
|   |  |  |  |



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| <ul> <li>Domain: Congruence (G.CO)</li> <li>Cluster: Prove geometric theorems.</li> <li>G.CO.C.9 Prove theorems about lines and angles.</li> </ul> | <ul> <li>Essential Question(s)</li> <li>How can coordinates and the coordinate plane be used to prove theorems algebraically?</li> <li>Objective(s): <ul> <li>Students will determine if lines are parallel using their slopes.</li> <li>Students will recognize angle pairs that occur with parallel lines.</li> <li>Students will prove that two lines are parallel</li> </ul> </li> </ul> | Lesson 3.5 – Proving Lines Parallel, pp. 205<br>- 212 Constructing Parallel Lines<br>Constructing Perpendicular Lines and<br>Perpendicular Bisectors p. 55<br>Optional: Use the following resources to<br>ensure that the intended outcome and<br>level of rigor of the standards are met.<br>Task(s)<br>Select appropriate tasks from <u>GSE</u><br><u>Analytic Geometry Unit 1:</u><br><u>Similarity, Congruence and Proofs</u> | Writing in Math<br>Write and solve a problem involving<br>finding the equation of a line that is<br>parallel to a given line. |
|--|--|---|---|
|  |  | Similarity, Congruence and Proofs   |   |



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| RESOURCE TOOLBOX                        |   |  |  |
|---|---|--|--|
| Textbook Resources                      | Standards   | Videos   |  |
| ConnectED Site - Textbook and Resources | Common Core Standards - Mathematics                         | Math TV Videos                                       |  |
| Glencoe Video Lessons                   | Common Core Standards - Mathematics Appendix A              | The Teaching Channel                                 |  |
| Hotmath - solutions to odd problems     | HS Flip Book with examples of each Standard                 | Khan Academy Videos (Geometry)                       |  |
|   | http://www.ccsstoolbox.org/                                 |  |  |
| Comprehensive Geometry Help:            | http://insidemathematics.org/index.php/high-school-geometry |  |  |
| Online Math Learning (Geometry)         | http://www.livebinders.com/play/play/454480                 | Resources:https://teach.mapnwea.org/assist/he        |  |
| NCTM Illuminations                      | https://www.livebinders.com/play/play?id=464831             | Ip_map/ApplicationHelp.htm#UsingTestResults/         |  |
|   | http://www.livebinders.com/play/play?id=571735              | MAPReportsFinder.htm - Sign in and Click the         |  |
| Tasks                                   | Chicago Public Schools Framework and Tasks                  | help as you plan for intervention and                |  |
| Edutoolbox (formerly TNCore) Tasks      | Tennessee Academic Standards for Mathematics                | differentiating small group instruction on the skill |  |
| Inside Math Tasks                       | Tennessee Assessment LiveBinder                             | you are currently teaching. (Four Ways to Impact     |  |
| Dan Meyer's Three-Act Math Tasks        |   | Teaching with the Learning Continuum)                |  |
| IIIUSII alive Mali Tasks                |   | https://support.nwea.org/khanrit - These             |  |
| <u>OT Dana Center</u>                   |   | RIT scores   |  |
| and Proofs                              |   |  |  |